Activities: Tuples, Sets, and Frozen Sets

1. Convert the following assignments in the following program into a tuple assignment.

```
sepal_length = 5.1
petal_length = 3.2
sepal_width = 1.7
petal_width = 0.9
print(sepal_length, sepal_width, petal_length, petal_width)
```

2. Write a function *count* that takes as its only parameter a file name and then returns the number of lines, the number of words, and the number of characters (without new lines). Then write a program that asks the user for a file name and then displays the result of *count* in a nice format. Here is an example of the latter:

Enter the name of a file: tuples.py There are 39 lines, 117 words, and 762 characters in the file tuples.py.

3. Tuple unpacking can be used to define functions with arbitrary number of arguments. Assume that we want to create a function multiply that returns the product of an arbitrary number of arguments. We can do so using tuple unpacking in the definition of the function:

As you noticed, the asterisk in front of *args* means that *args* is really a tuple. Indeed, in the body of the function, we access the components *x* of *args* iteratively and multiply them to result. Using this construct, write functions with an arbitrary number of arguments that

- (A) return the arithmetic mean $\frac{1}{n}(a_1 + a_2 + ... + a_n)$ of a number of floating point numbers.
- (B) return the geometric average $\sqrt[n]{a_1 \cdot a_2 \cdot \ldots \cdot a_n}$ of a set of numbers.
- (C) return the harmonic mean $\frac{n}{\frac{1}{a_1} + \frac{1}{a_2} + \dots + \frac{1}{a_n}}$ of a set of numbers.
- 4. Write a function that takes as arguments three variables: a left boundary *a*, a right boundary *b*, and a function *f*. The function returns the trapezoid approximation for the definite integral

$$\int_{a}^{b} f(x)dx \approx \left(\frac{1}{4}f(a) + \frac{1}{2}f(\frac{a+b}{2}) + \frac{1}{4}f(b)\right)(b-a).$$

Write a program that creates a tuple (a,b,f) and then uses tuple-unpacking when calling the function on it.